



# HACETTEPE ÜNİVERSİTESİ MATEMATİK BÖLÜMÜ

## GENEL SEMİNERİ

### (HACETTEPE MATHEMATICS GENERAL SEMINAR)

**Tarih (Date) :** 04.03.2015, Çarşamba (Wednesday)

**Saat (Time):** 15:00

**Yer (Place):** Yaşar ATAMAN Seminer Salonu

**Konuşmacı (Speaker):** Doç. Dr. Faruk POLAT (Çankırı Karatekin University)

**Başlık (Title) :** On Spaces Derivable from a Solid Sequence Space and a Non-negative Lower Triangular Matrix

**Özet (Abstract) :** The scalar field will be either the real or complex numbers. Suppose that  $\lambda$  is a solid sequence space over the scalar field and  $A$  is an infinite lower triangular matrix with non-negative entries and positive entries on the main diagonal such that each of its columns is in  $\lambda$ . For each positive integer  $k$ , the  $k^{\text{th}}$  predecessor of  $\lambda$  with respect to  $A$  is the solid vector space of scalar sequences  $x$  such that  $A^k |x|$  is an element of  $\lambda$ . We denote this space by  $\Lambda_k$  and  $\lambda$  itself will be denoted by  $\Lambda_0$ . Under reasonable assumptions, these spaces inherit some topological properties from  $\lambda$ . We are interested in a projective limit of the infinite product of the  $\Lambda_k$  consisting of sequences of sequences  $(x^{(k)})$  satisfying  $A x^{(k)} = x^{(k-1)}$  for each  $k > 0$ . We show that for interesting classes of situations including the cases when  $\lambda = l_p$  for some  $p > 1$  and  $A$  is the Cesaro matrix, the space of our interest can be non-trivial.

NOT: Konuşma sonunda çay ve pasta ikramı olacaktır.

(P.S. Tea and cookies will be served after the talk.)